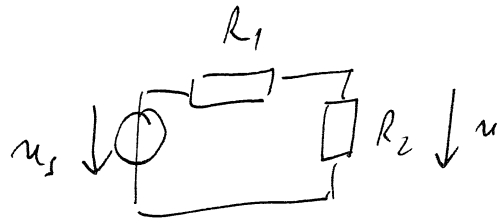


Superposition's algorithm

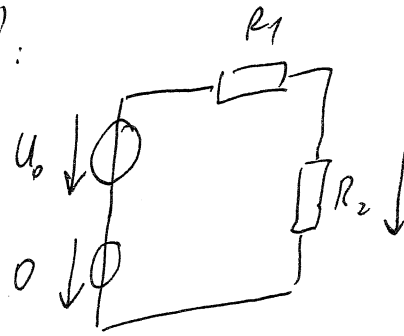


$$u_s(t) = U_0 + U_1 \cdot \cos(\omega t)$$

$$u_s \downarrow \Phi \equiv \begin{array}{c} \Phi \downarrow U_0 \\ \Phi \downarrow U_1 \cdot \cos(\omega t) \end{array}$$

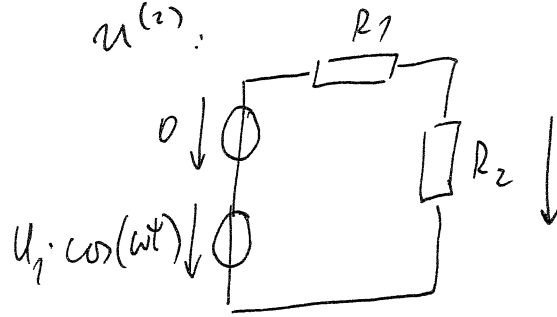
$$\rightarrow u = u^{(1)} + u^{(2)}$$

$u^{(1)}$:



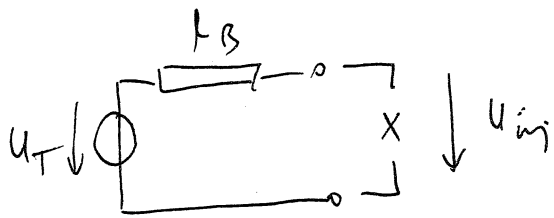
$$u^{(1)} = \frac{R_2}{R_1 + R_2} \cdot U_0$$

$u^{(2)}$:



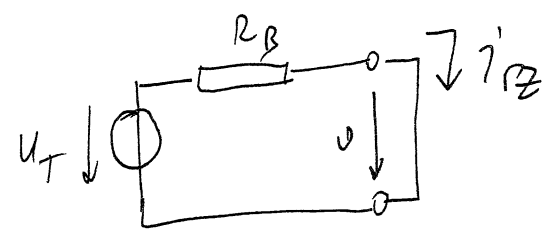
$$u^{(2)} = \frac{R_2}{R_1 + R_2} \cdot U_1 \cdot \cos(\omega t)$$

teljes megoldás:
$$u = u^{(1)} + u^{(2)} = \frac{R_2}{R_1 + R_2} \cdot U_0 + \frac{R_2}{R_1 + R_2} \cdot U_1 \cdot \cos(\omega t)$$



(üresjárású feszültség)

$$U_{inj} = U_T$$



$$i_{rz} = \frac{U_T}{R_B} \Rightarrow$$

$$R_B = \frac{U_T}{i_{rz}} = \frac{U_T}{-I_N}$$

Thévenin-ht. és Norton-ht.

$$i_{rz} + I_N = 0$$

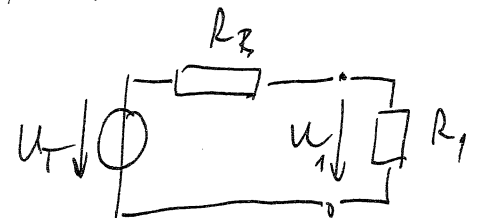
$$I_N = -i_{rz}$$

Megjegyzés: a rövidítés és az adott speciális leírás

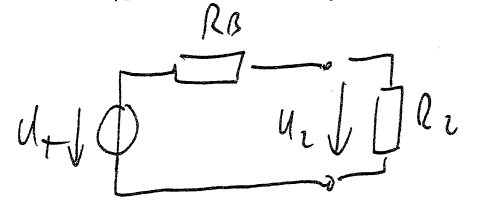
i_{rz} irányítás szimmetri. bus!
($\downarrow u \Rightarrow \downarrow i_{rz}$)!

Különböző a rez. számok nem megvalósítható!
y R_1 és R_2 leírás ellenértéként értendő:

$$\rightarrow \begin{pmatrix} R_1 & -R_1 \\ R_2 & -R_2 \end{pmatrix} \begin{pmatrix} U_T \\ R_B \end{pmatrix} = \begin{pmatrix} U_1 R_1 \\ U_2 R_2 \end{pmatrix}$$



$$U_1 = \frac{R_1}{R_1 + R_B} \cdot U_T$$



$$U_2 = \frac{R_2}{R_2 + R_B} \cdot U_T$$

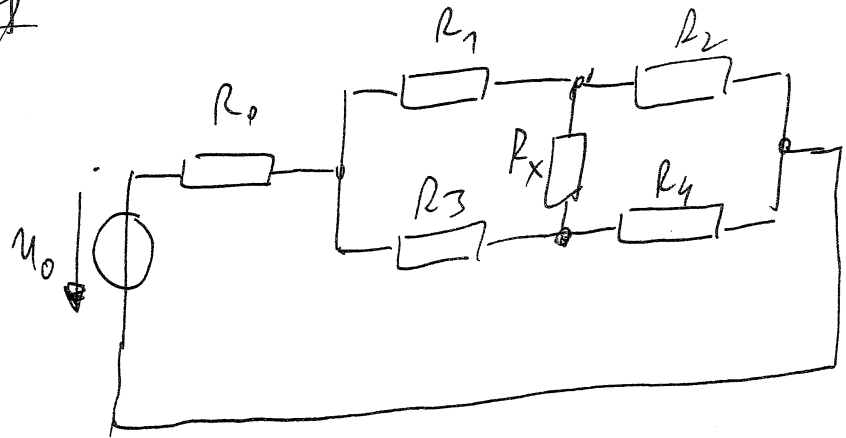
$$U_T = \frac{U_1 R_1 (-U_2) + U_1 (U_2 R_2)}{-R_1 U_2 + U_1 R_2} = \dots$$

olyan: ① $U_1 R_1 + U_1 R_B = R_1 \cdot U_T$

② $U_2 R_2 + U_2 \cdot R_B = R_2 \cdot U_T$

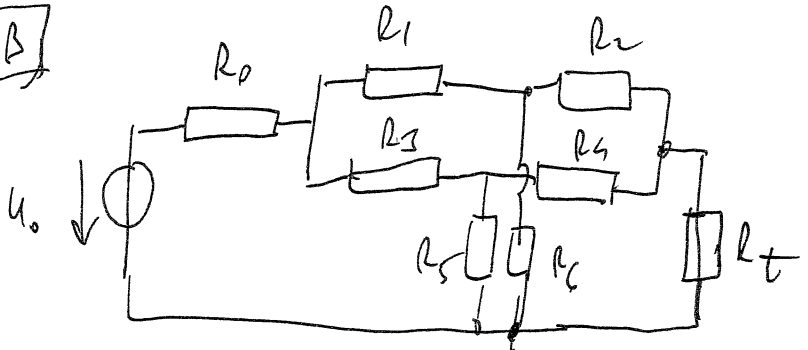
A)

- a) Mekkora R_x áramú?
- b) Mi a feltétel, hogy R_x árama zérus legyen?



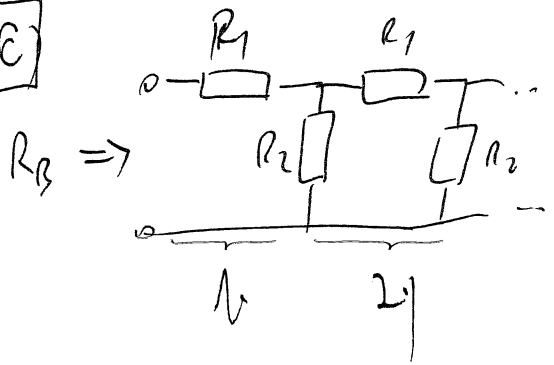
B)

- a) Helyesül-e meg R_2 értéket teljesítmény illentikus?
- b) Mekkora lesz akkor R_5 és R_6 árama?



- c) Azt tudjuk-e meg, hogy a hálózatot ekvivalens alakba?

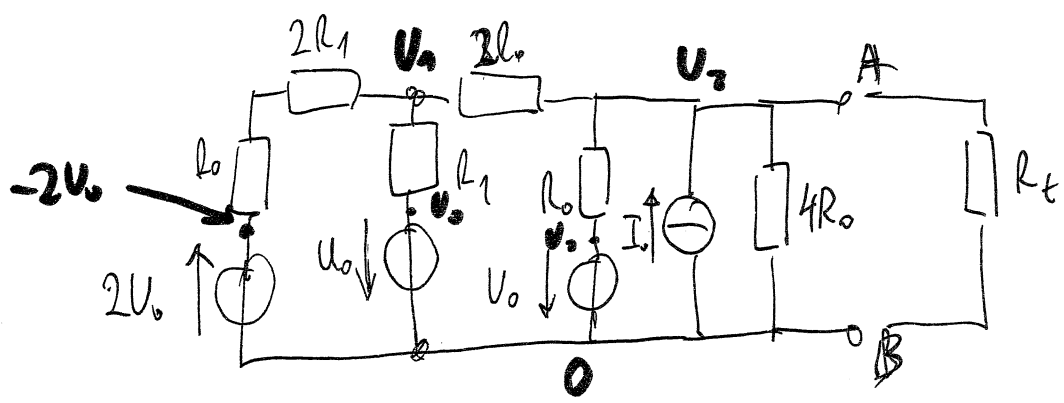
C)



Leírás alapján, ahol R_1 és R_2 ismert.

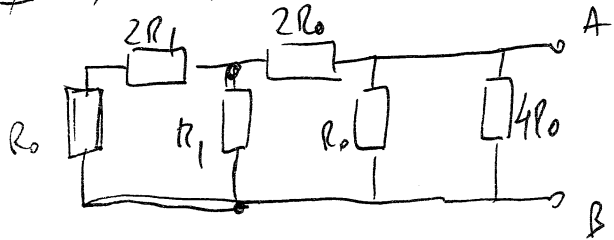
a) $R_B = ?$, ha $n \rightarrow \infty$

b) vajon n esetén ($n < \infty$) mutat-e meg a függvény az n függetlenséget és az n értékét?



$R_0 = 1 \text{ k}\Omega; R_1 = 5 \text{ k}\Omega; U_0 = 5 \text{ V}; I_0 = 2 \text{ mA}$

a) R_{AB} meghatározása:



$$R_{AB} = (4R_0 \times R_0) \times (2R_0 + R_1 \times (2R_1 + R_0))$$

$$R_{AB} = (4 \times 1) \times (2 + 5 \times (10 + 1)) = \frac{4}{5} \times \left(\frac{32 + 55}{16} \right) =$$

$$\frac{\frac{4}{5} \cdot \frac{87}{16}}{\frac{4}{5} + \frac{87}{16}} = \frac{\frac{4 \cdot 87}{80}}{\frac{64 + 5 \cdot 87}{80}} = 0,6974 \text{ k}\Omega = \frac{348}{499} \checkmark$$

a) Adja át a névleges értékeket: NT 75T7

b) Adja át olyan helyettesítő kiegészítő ábrát, amelyen az áramforrás tenelős/feszültségjelét meg lehet állapítani

c) Milyen U_0, I_0 értékek mellett lehet az áramforrás fogott?

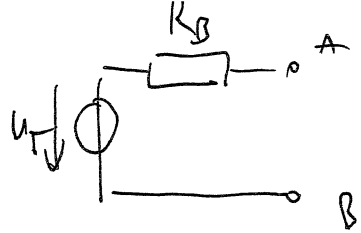
Csomóponti egyenletek:

$$\textcircled{1} \frac{U_1 - (-2U_0)}{2R_1 + R_0} + \frac{U_1 - U_0}{R_1} + \frac{U_1 - U_2}{2R_0} = 0$$

$$\textcircled{2} \frac{U_2 - U_1}{2R_0} + \frac{U_2}{4R_0} - I_0 + \frac{U_2 - U_0}{R_0} = 0$$

$$\begin{pmatrix} \frac{1}{11} + \frac{1}{5} + \frac{1}{2} & -\frac{1}{2} \\ -\frac{1}{2} & \frac{1}{2} + \frac{1}{4} + 1 \end{pmatrix} \begin{pmatrix} U_1 \\ U_2 \end{pmatrix} = \begin{pmatrix} \frac{U_0}{11} - \frac{2U_0}{11} \\ I_0 + U_0 \end{pmatrix}$$

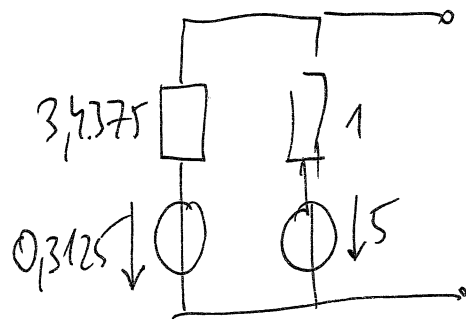
$$U_T = U_2 = 4,9218 \text{ V}$$



$$R_B = 0,6974 \Omega$$

$$U_T = 4,9218 \text{ V}$$

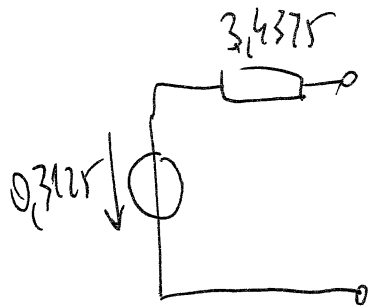
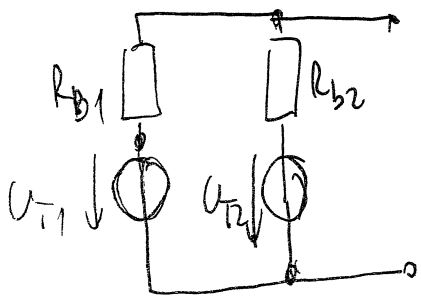
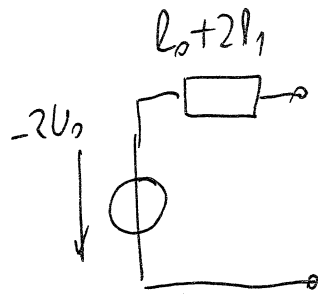
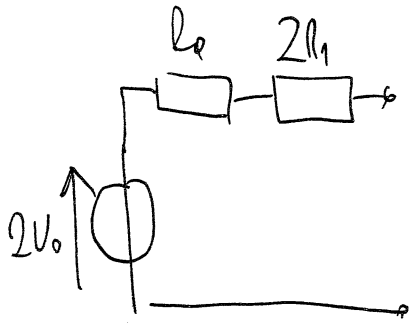
$$P_{\max} = \frac{U_T^2}{4 \cdot R_B} = \underline{\underline{8,6839 \text{ mW}}}$$



$$\equiv$$

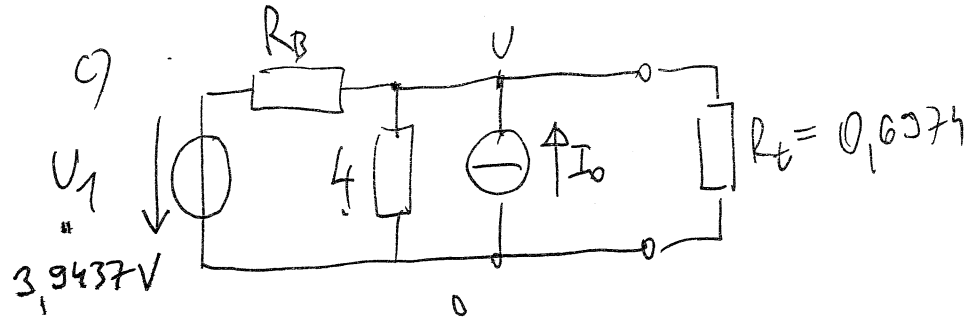
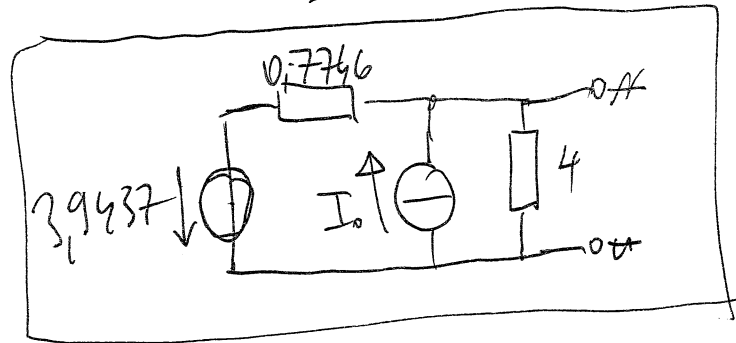


NT751E
2.



$$\frac{U_T}{R_{B1}} + \frac{U_T - U_{T2}}{R_{B2}} = 0$$

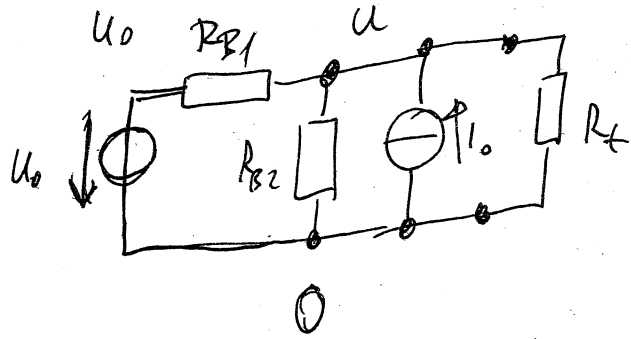
$$U_T = \frac{U_{T1}/R_{B1} + U_{T2}/R_{B2}}{\frac{1}{R_{B1}} + \frac{1}{R_{B2}}} = -$$



$$\frac{U - U_1}{0,7746} + \frac{U}{4} + \frac{U_E}{0,6974} - I_0 = 0$$

$$(U)_{I_0=0} = 2,3837 \text{ V}$$

$$U = \frac{U_1/0,7746 + I_0}{\frac{1}{0,7746} + \frac{1}{4} + \frac{1}{0,6974}} = \text{Circuit Diagram} \cdot I_0$$



$$\frac{U - U_0}{R_{B1}} + \frac{U}{R_{B2}} + \frac{U}{R_T} - I_0 = 0$$

$$U \left(\frac{1}{R_{B1}} + \frac{1}{R_{B2}} + \frac{1}{R_T} \right) = I_0 + \frac{U_0}{R_{B1}}$$

$$U = \frac{I_0 + \frac{1}{R_{B1}} \cdot U_0}{\boxed{\times}}$$

$$\boxed{\times} = \frac{1}{R_{B1}} + \frac{1}{R_{B2}} + \frac{1}{R_T}$$

Effizientenwert (grob) von $f(x,y) \rightarrow ?$

$f(x,y)$ erhalten $f(x,y) = f_0$

$$P_{I_0} = (-U) \cdot I_0 = \frac{1}{\boxed{\times}} \cdot (-I_0) \cdot \left(\frac{U_0}{R_{B1}} + I_0 \right)$$

$$P_{I_0} = \frac{-I_0^2 \cdot \frac{1}{\boxed{\times}} - \frac{U_0}{R_{B1}} \cdot I_0}{\boxed{\times}}$$

$$P_{U_0} = U_0 \cdot \frac{(U - U_0)}{R_{B1}} = \frac{U_0}{R_{B1}} \cdot \left(\frac{1}{\boxed{\times}} \cdot \frac{U_0}{R_{B1}} + \frac{1}{\boxed{\times}} \cdot I_0 - U_0 \right) = U_0 \cdot \left[\frac{\boxed{\times} R_{B1} - 1}{\boxed{\times} \cdot R_{B1}^2} + \frac{I_0}{\boxed{\times}} \right] \cdot U_0$$

A_{U_0}

áramforrás tétel/feszültség feltevése a R_t -től függetlenül

→ nem leírja, csak ha $I_0 > 0$ (a névleges pontból mindig R_t érték)

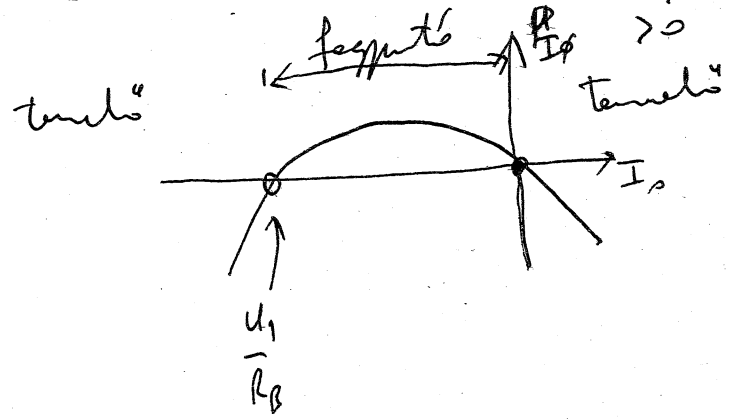
→ $I_0 < 0$

$$u(R_t) = \frac{1}{R_B} U_1 + I_0 \Rightarrow \left(\frac{1}{0.7746} + \frac{1}{4} + \frac{1}{0.6979} \right)$$

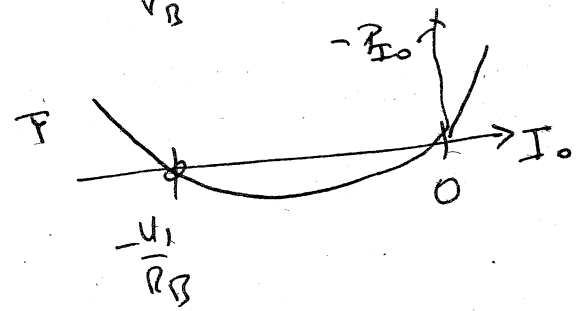
$P_{I_0} = I_0 \cdot (-U) \Rightarrow$ mindig $I_0 > 0$ esetén tétel

$I_0 < 0$ esetén

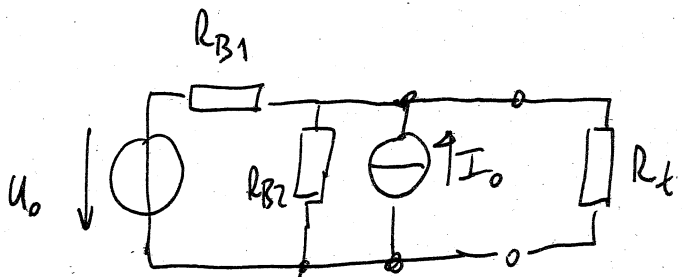
$$P_{I_0} = I_0 \cdot \left(\frac{U_1}{R_B} + I_0 \right)$$



$$I_0 \left(\frac{1}{R_B} U_1 + I_0 \right) > 0$$

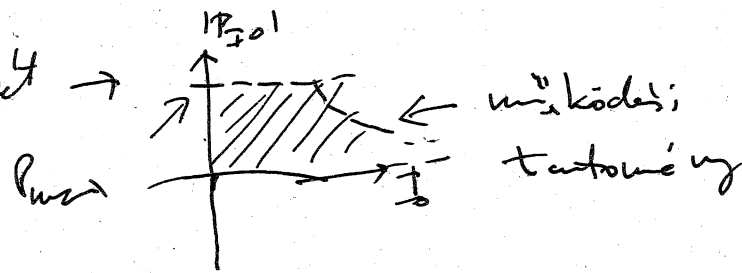


NT 75 Tz/c állandó mőtérhelés



→ forrás teljesítménye

→ ~~forrás~~ I_0 átlak →



Részlet a $u_0 - I_0$ karakterisztikában az egyes források fogyasztó: tartományát!

